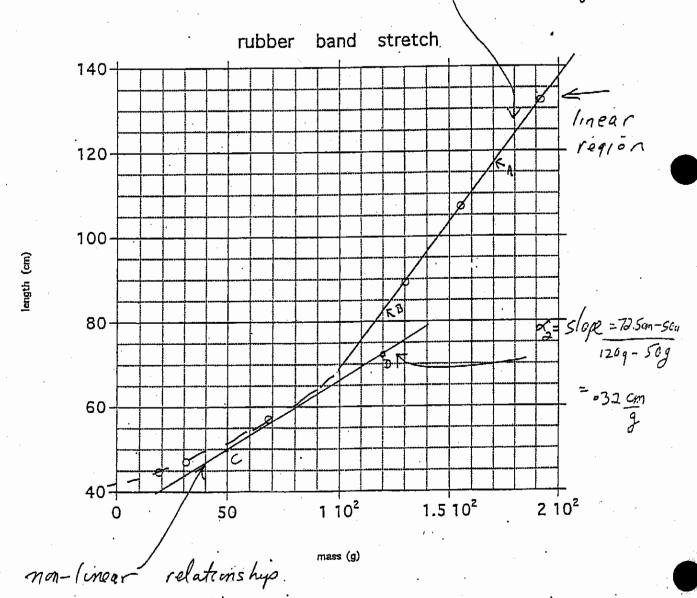
Mass/Spring Oscillator.

For the chain of rubber bands, plot your data of length of chain of rubber bands vs. weight of hanging pennies. Is your data linear? Determine the force constant (spring constant) in SI units in the neighborhood of 150 g by using a best-fit straight line. Use between 180 g and 120 g as a range for your best-fit line.

	mass (g)	-length (cm)
1	18.70	44.6
	31.10	47.0
	68.30	57.0
]	130.3	89.2
]	155.1	107
]	192.3	132

$$X = \alpha m + m_0$$

 $\alpha_1 = \Delta X = Slope = \frac{117.5 \text{ cm} - 82.5 \text{ cm}}{170 \text{ g} - 120 \text{ g}}$
 $\alpha_2 = \frac{\Delta X}{\Delta m} = \frac{17.5 \text{ cm}}{9} = \frac{17.5 \text{ cm}}{9}$



 $\Delta m_g = k_{\Delta X}$ $k = \Delta m_g$ ΔX

the slope of the graph X = xm + Mo

 $\alpha = \Delta x$ Therefore $k = \frac{9}{5lope}$

 $L = \frac{9.8 \, m/s^2}{(0.7 \, cm/g) \left(\frac{10^3 \, g}{K_5}\right) \left(\frac{1m}{l^2 \, cm}\right)} = 1.4 \, \frac{N}{m}$

Motice that we only need the slope of the straight line! I also approximate the spring (onstant for m=68.3 g (20 pennies).

 $\alpha_{2} = .32 \frac{cm}{g} = \frac{9.8 \, m/s^{2}}{(0.32 \, cm)} = 3.1 \, \frac{N}{m}$

Is the approximate spring constant when there were 20 pennies in cop.

- Qualitatively, how does the force constant change as the load is increased from zero up to the maximum you used? Since kn 1, and slope.

 The slope unclases with the mass, the spring constant decreases until it reaches a constant value.
- 3) Describe the motion of the cup when it is both swinging and moving up and down. I trued thus for two different weights, 20 permes and 40 permes. For 40 permes, there was very little vertical oscillation. For twenty permes, the system started to oscillate vertically while it was swinging. Then the vertical oscillations damped out quickly. Then they began again suggesting a beating phenomena. This is a complicated coupled motion with resonance modes but I was not at one of the resonances:

4)) What are the length and period of your simple pendulum with one string when you put 50 pennies in the cup?

I used a length of 185.1 cm \pm 0.5 cm. The initial angle was 10 $^{\circ}$. Here is the data for three runs of ten swings each. The average period was 2.704 s.

(Texp) = 7.3152

27.13 27.10 26.89

coruca pendulum simple pendolun

5) Here is some data for pendulums of shorter langer

My longest pendulum was 91.3 cm from the center of mass to the center of the supporting beam. There is an error of ±0.5 cm due to the uncertain location of the actual pivot point on the bar. There is also an error of ±0.3 cm due to the uncertain location of the center of mass. The average period at a 10 0 initial deflection was 1.904 sec. Here is the data for twenty swings; and ten swings for the two shorter lengths

length 91.3 cm

swings	time (s)	
20.0	38.0	
20,0	38.0	
20.0	38.1	
20.0	38.2	

length 47.0 cm

	swings	time (s)
]	1,0,	13.54
	10	13.56
	10	13.46

Grath 19.8 cm.

swings	time (s)
10	10,59
10	10.67
10	10.70

Explain your observations of the effect of different numbers of pennies on the time needed for the amplitude to drop by 50%.

When there were 50 pennies in the cup hanging 91.3 cm from the pivot point; the amplitude decreases by 50% in an average time of 105 sec. When there were 5 pennies in the cup, the amplitude decrease by 50% in an average of 18 sec. The heavier bob has alonger time constant for the decay in amplitude. This suggests that the resistive term $f_{resistive}$ is independent of the mass.

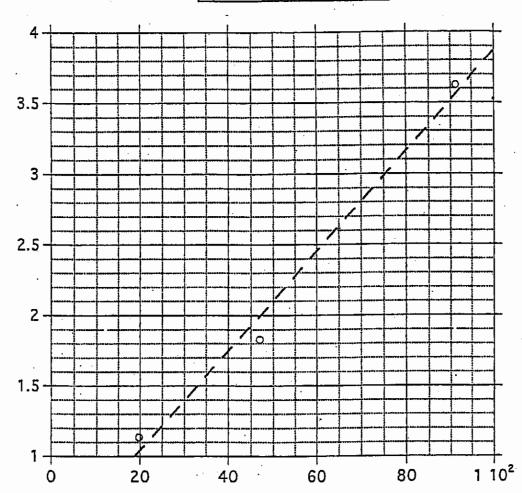
 $mld^2\theta/dt^2 = -mg\theta - f_{resultive}$

Thus when dividing through by mass the new term fractive/m decreases as mass increases. The time constant for the decay ~ mass. The data suggests that the relationshy is linear. (or nearly (inpar)

- (b) Did the period change when you changed the number of pennies in the cup? When 5 pennies were placed in the cup, the average period was 1.89 s for a length of 91.3 cm. This is nearly in agreement with the result for 50 pennies.
- 7) Plot the square of the period against the length of this pendulum. Compare with theory.

(S2)	length (cm)	Perial of	the 105017 for The Short
1.134	19.8	.80	agadement with the org.
1.828	47,0	1-89	
3.824	91.3	3.68	y = 0.331 + 0.0354x R = 0.994

Period Squared vs Length



$$T = 2\pi \sqrt{\frac{1}{g}} \implies T^2 = 4\pi^2 \frac{1}{g}, \text{ slope} = \frac{4\pi^2}{g} = 4.03 \frac{s^2}{m}$$

the data has a slope = $3.54 \frac{s^2}{m}$.