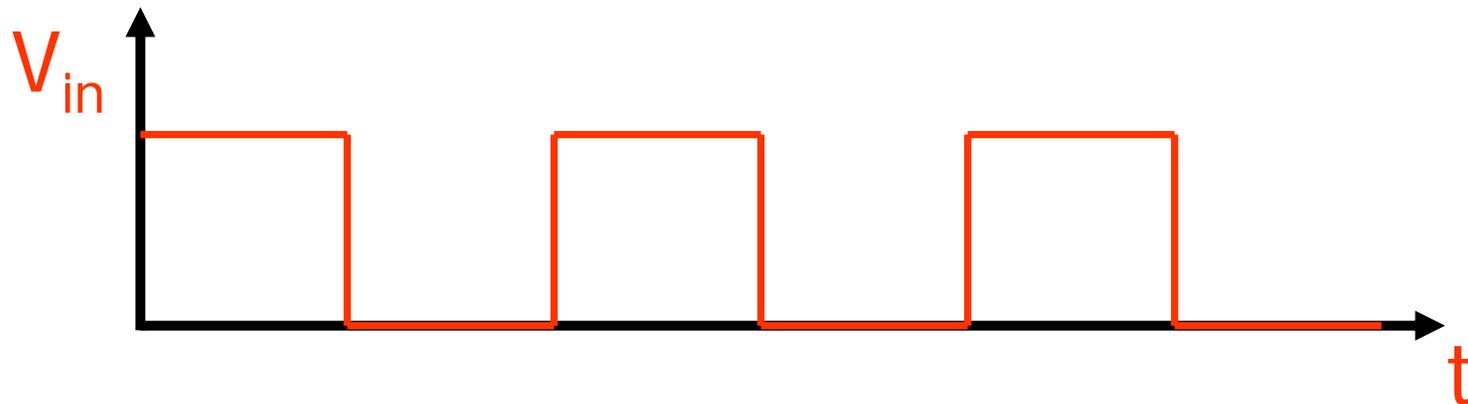
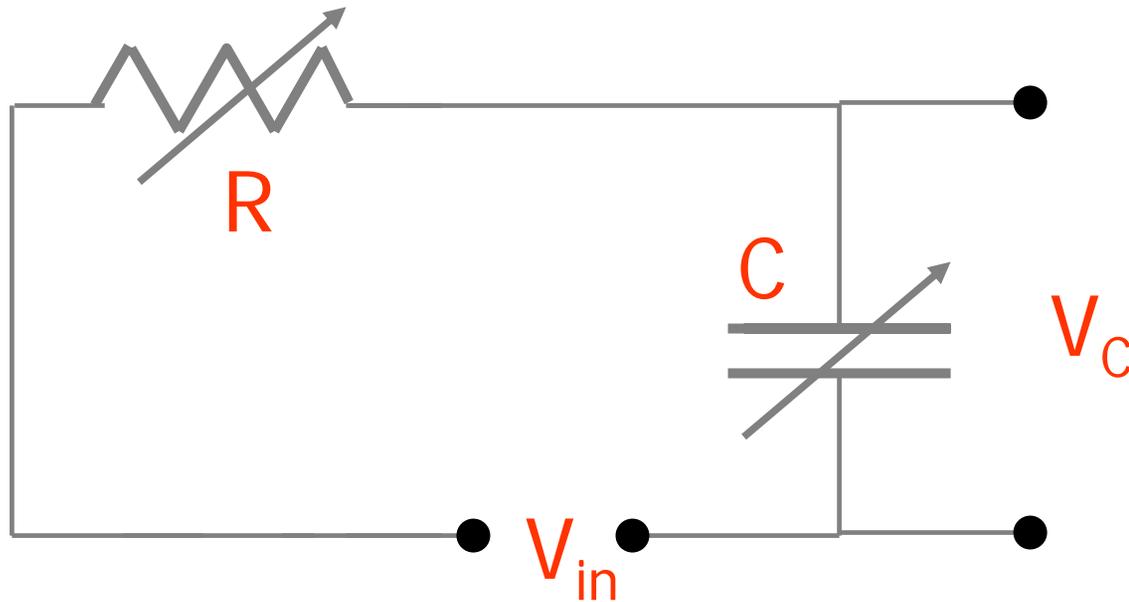


Electricity and Magnetism

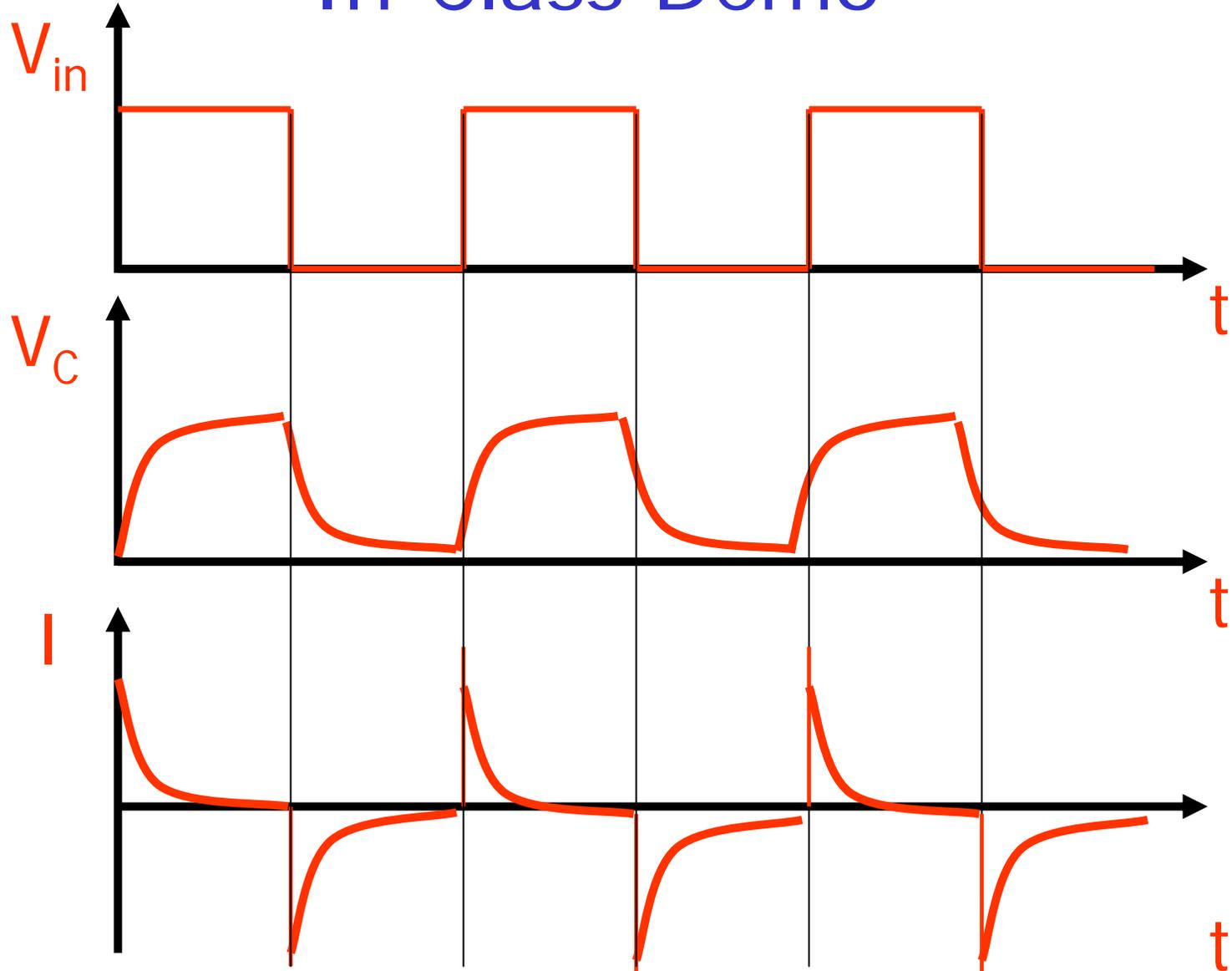
- Reminder
 - RC circuits
 - Electric Breakdown Experiment
- Today
 - Magnetism

RC Circuits

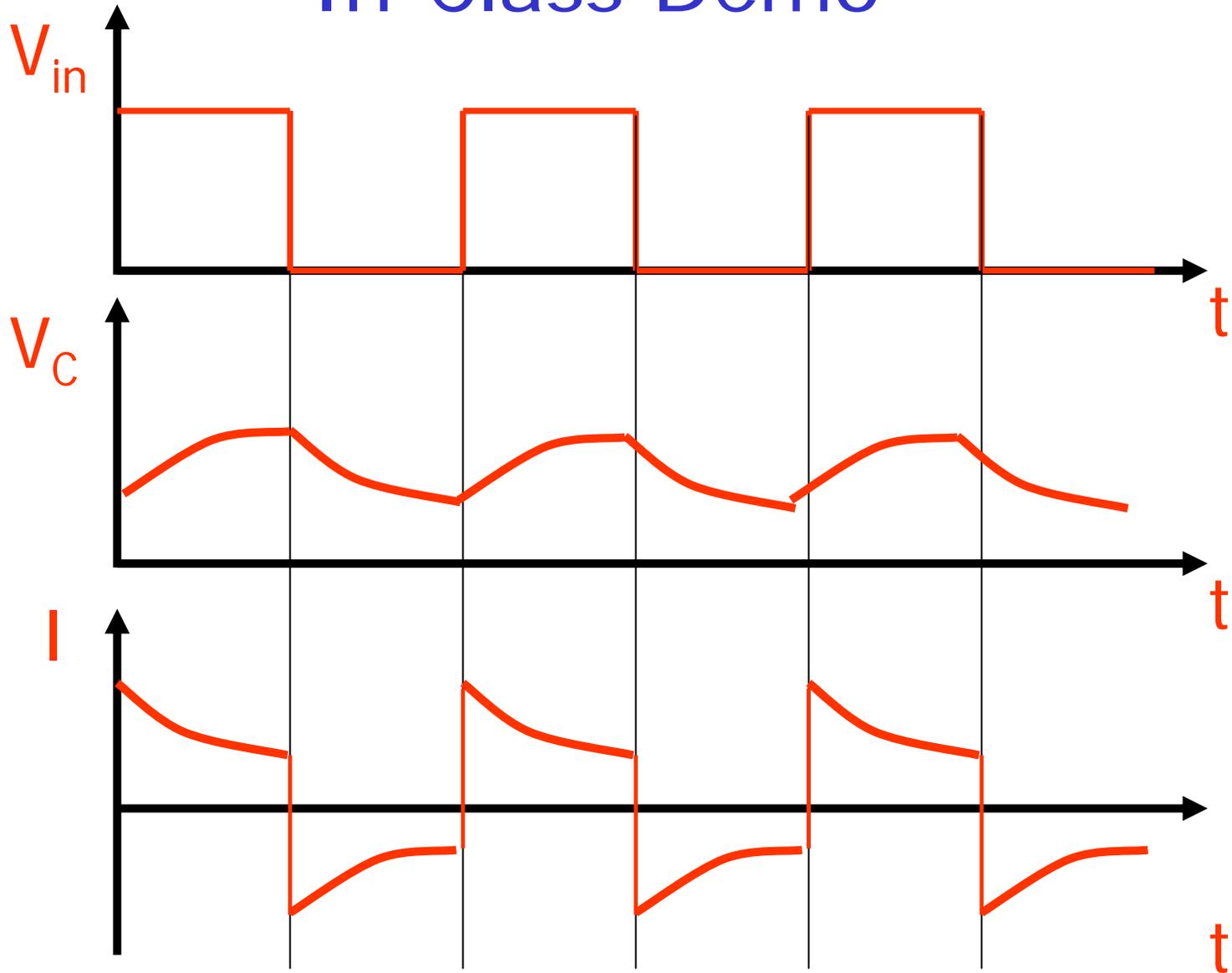
Variable time constant $\tau = RC$



In-Class Demo



In-Class Demo



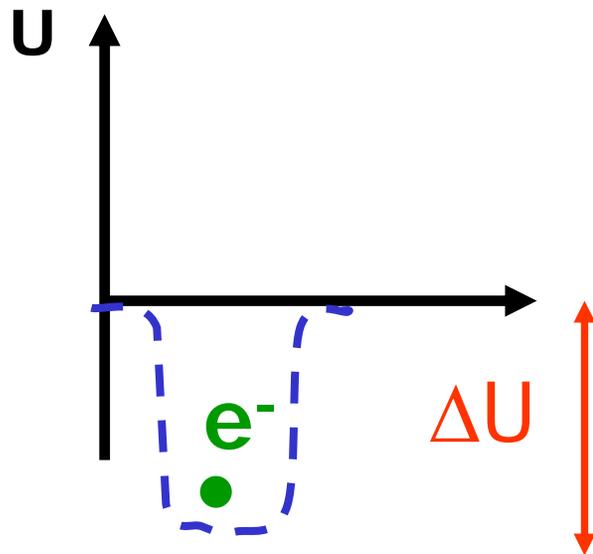
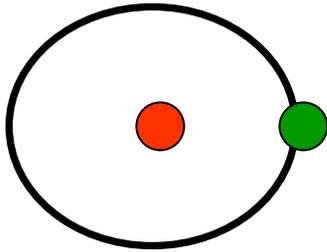
In-Class Demo

- Changes in **R** or **C** change τ
- Large τ smoothes out signals
- Sharp edges/rapid changes get removed
 - high frequencies are suppressed
- RC circuits are low-pass filters

Experiment EB

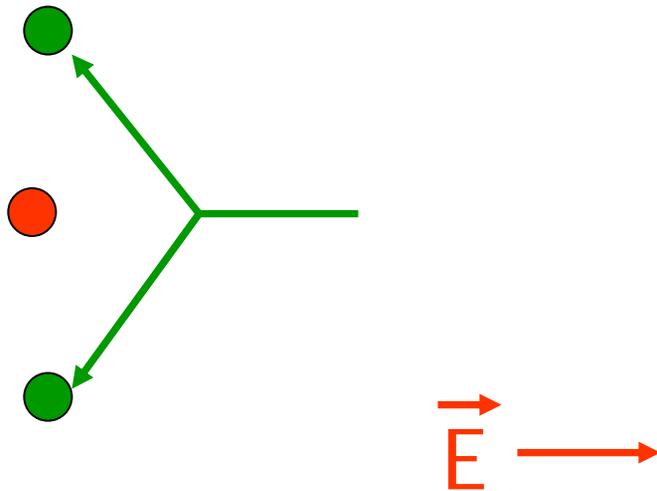
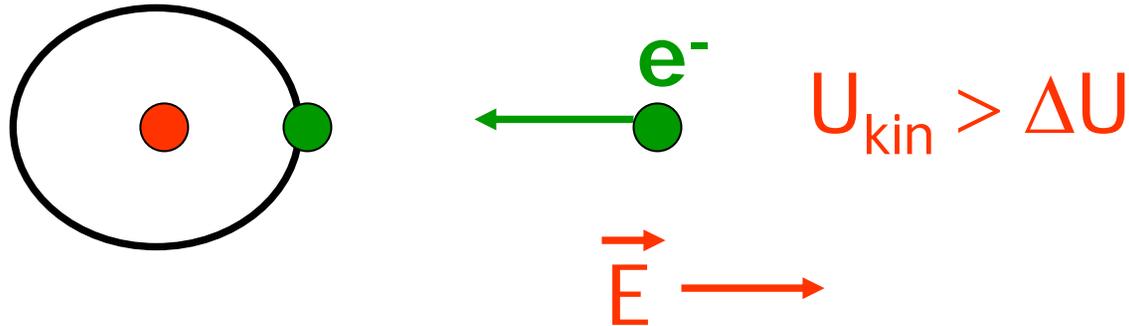
- Electrical Breakdown
 - You have seen many examples
 - Lightning!
 - Sparks (e.g. Faraday Cage Demo!)
 - Fluorescent tubes
 - Study in more detail
 - Reminder: Ionization

Ionization



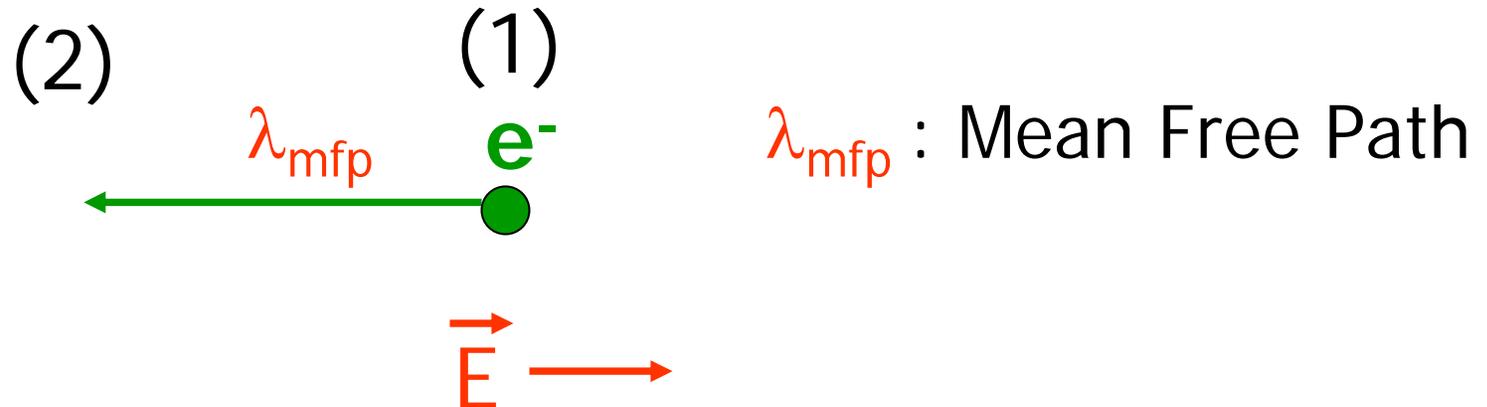
- Electrons and nucleus bound together
- Electrons stuck in potential well of nucleus
- Need energy ΔU to jump out of well
- How to provide this energy?

Impact Ionization



- Define $V_{\text{ion}} = \Delta U/q$
- Ionization potential
- One e^- in, two e^- out
- Avalanche?

Impact Ionization



- To get avalanche we need:

$$\Delta U_{kin} \text{ between collisions (1) and (2)} > V_{ion} * e$$

- Acceleration in uniform Field

$$\Delta U_{kin} = V_2 - V_1 = e E d_{12}$$

- Avalanche condition then

$$E > V_{ion} / \lambda_{mfp}$$

Impact Ionization

How big is Mean Free Path?

(i) If Density n is big $\rightarrow \lambda_{\text{mfp}}$ small

(ii) If size σ of molecules is big $\rightarrow \lambda_{\text{mfp}}$ small

Effective cross-section



$$\lambda_{\text{mfp}} = 1/(n \sigma)$$

Impact Ionization

Avalanche condition $E > V_{\text{ion}} / \lambda_{\text{mfp}} = V_{\text{ion}} n \sigma$

Experiment EB: Relate $E, V_{\text{ion}}, \sigma$

Example: Air

$$n \sim 6 \times 10^{23} / 22.4 \times 10^{-3} \text{ m}^3 = 3 \times 10^{25} \text{ m}^{-3}$$

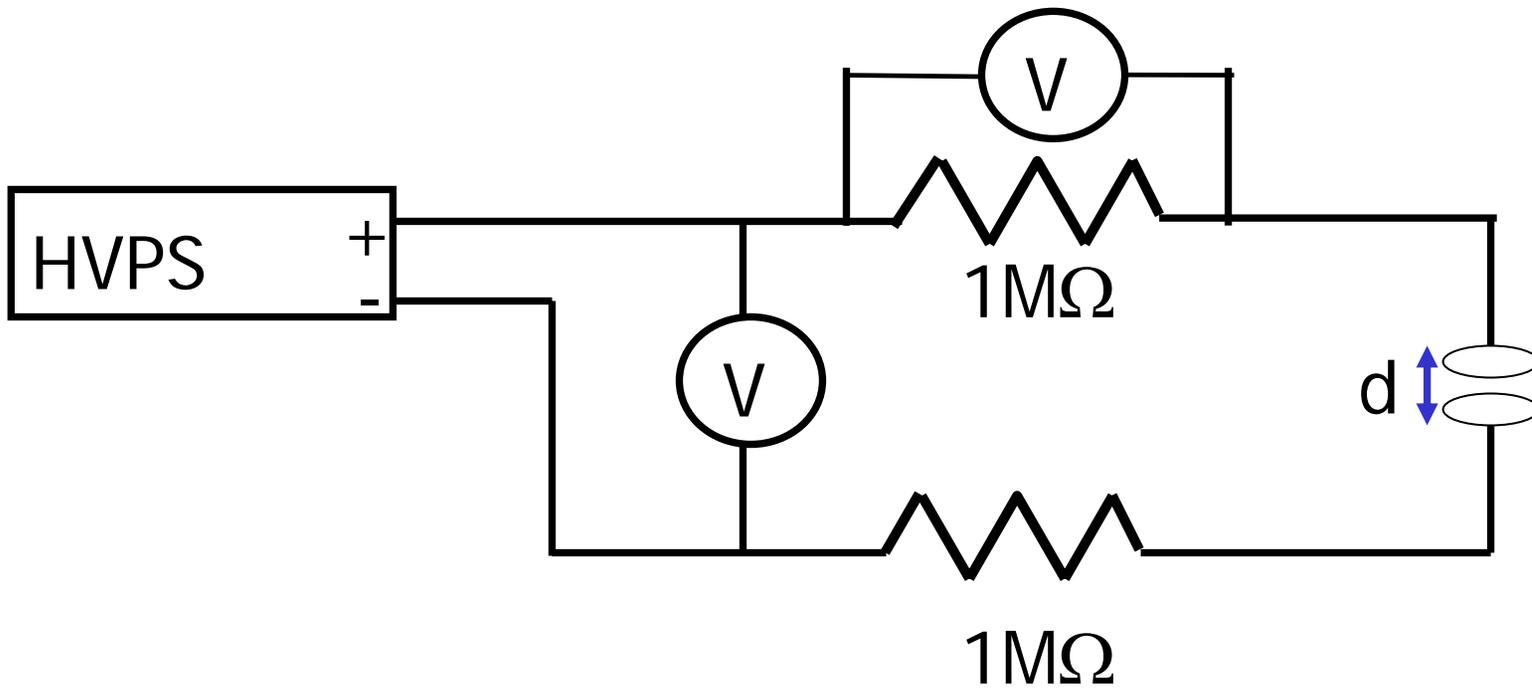
$$\sigma \sim \pi r^2 \sim 3 \times (10^{-10} \text{ m})^2 = 3 \times 10^{-20} \text{ m}^2$$

$$V_{\text{ion}} \sim 10 \text{ V}$$

$$\text{Need } E > 3 \times 10^{25} \text{ m}^{-3} \times 3 \times 10^{-20} \text{ m}^2 \times 10 \text{ V} \sim 10^7 \text{ V/m}$$

$$\text{For } V \sim 800 \text{ V: } V = E d \rightarrow d = 800 / 10^7 \text{ m} \sim 0.1 \text{ mm}$$

Experiment EB

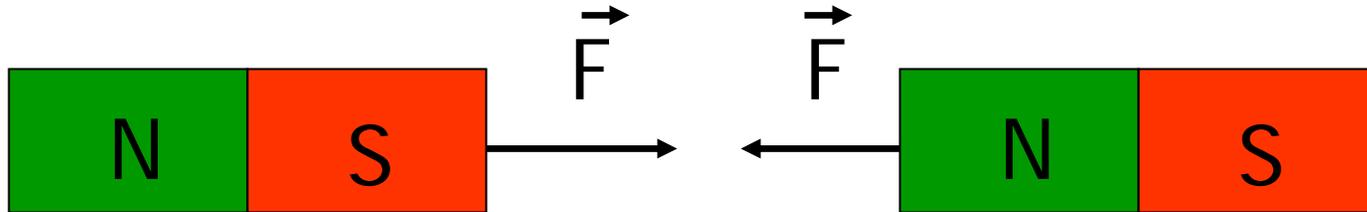


Magnetism

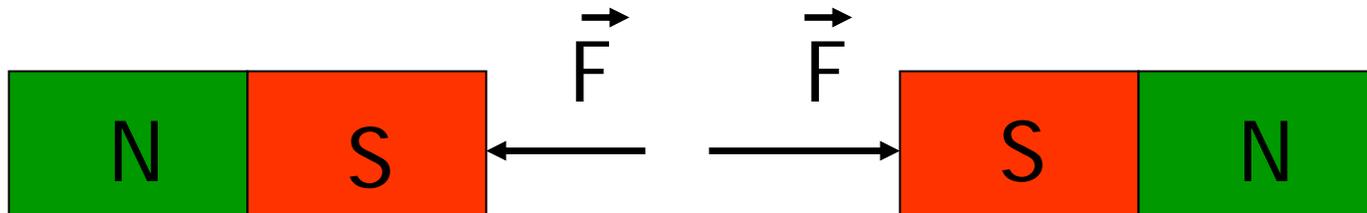
- Magnets: Materials with 'strange' properties
- Magnets have been known for thousands of years
- It took until end of 19th century to understand the theory of Magnetism

Magnetic Force

- New Force between Magnets
- Unlike Poles attract

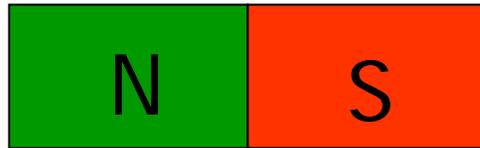


- Like Poles repel



Magnets

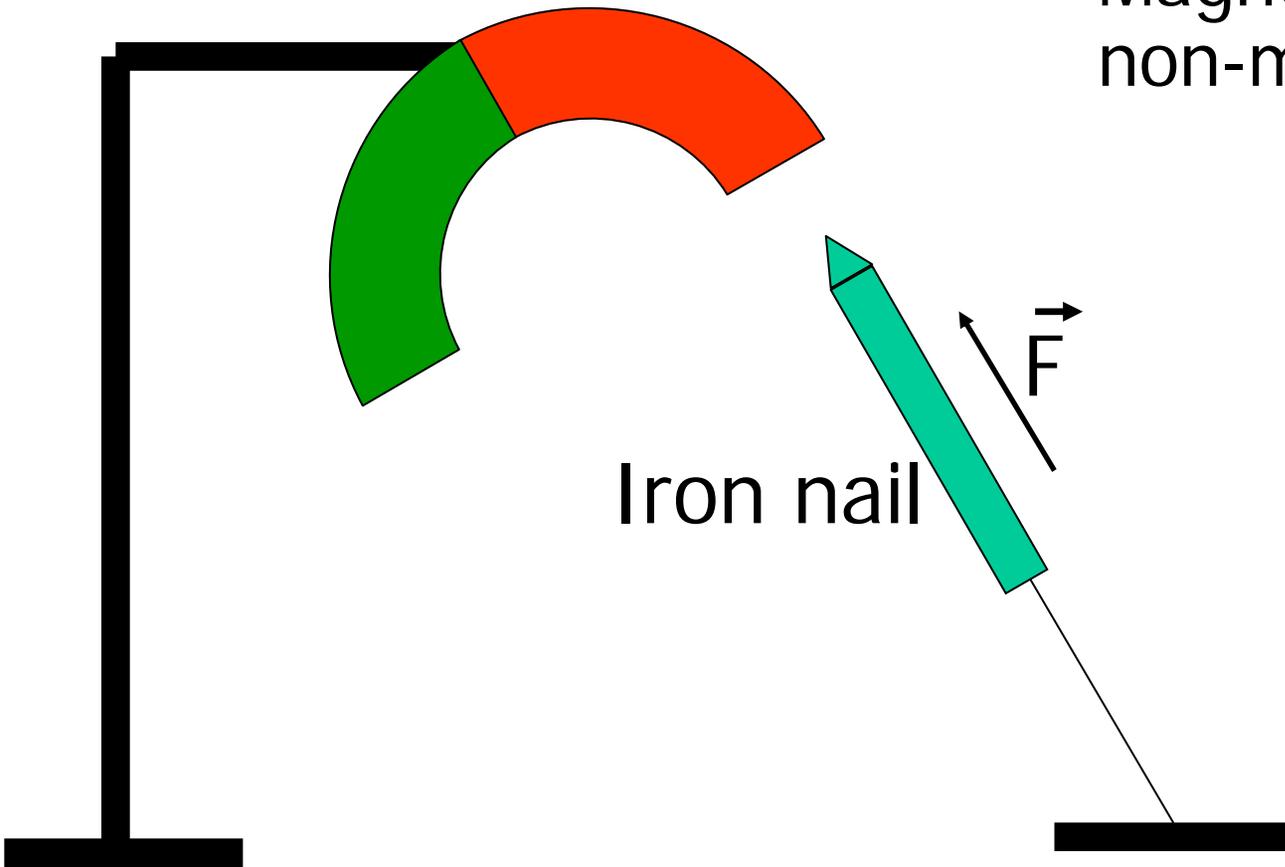
- Permanent Magnets



- Two poles (called 'north' and 'south')
- Let's look at some properties

Magnetic Force

- Magnets also attract non-magnets!

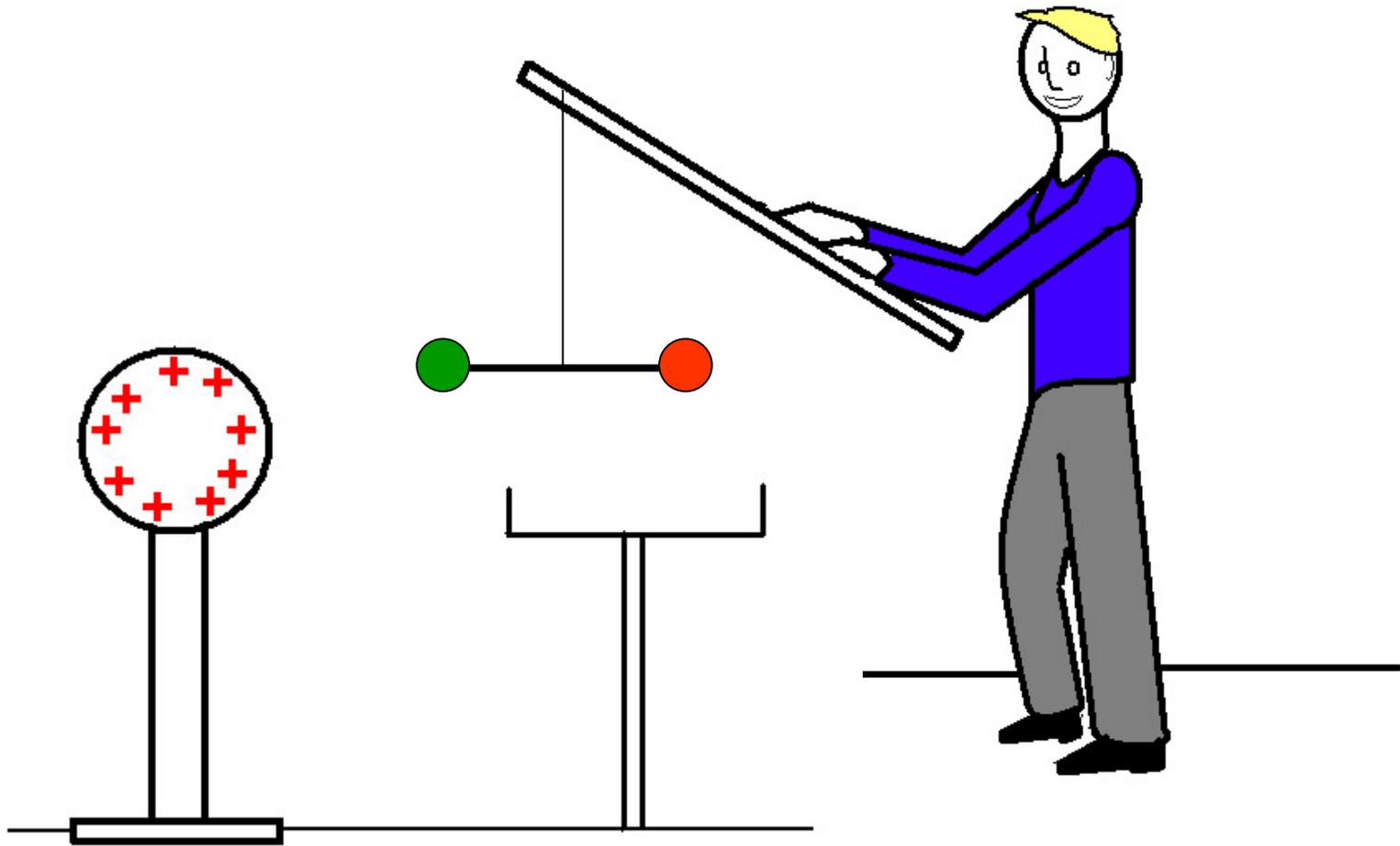


Iron nail

Magnetic Force

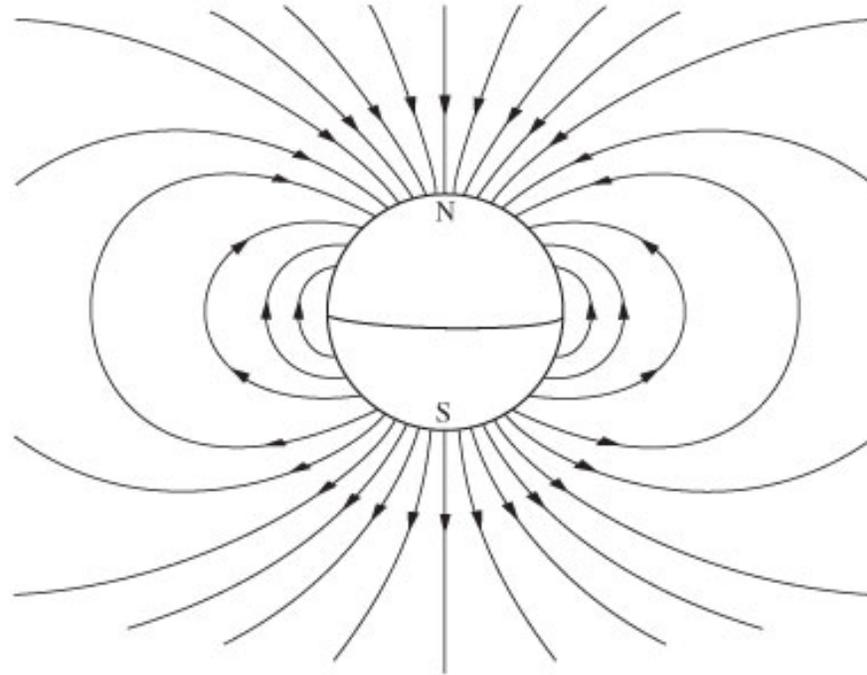
- New phenomenon
- Magnets carry no net charge!
- Although not understood, magnetic phenomena have been used for a long time -> In-Class Demo!

Electric Dipole in Electric Field



Compass

- Freely rotating magnets point towards earth's (magnetic) north pole

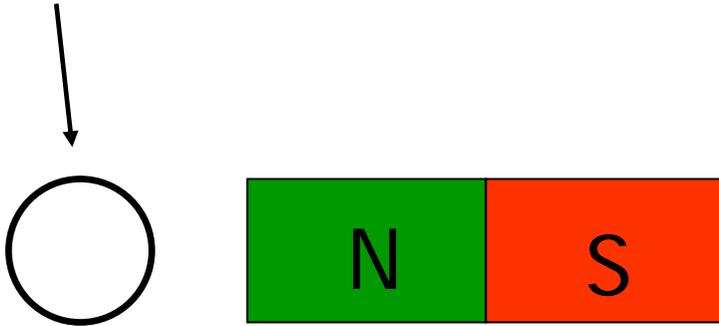


Magnetic Field

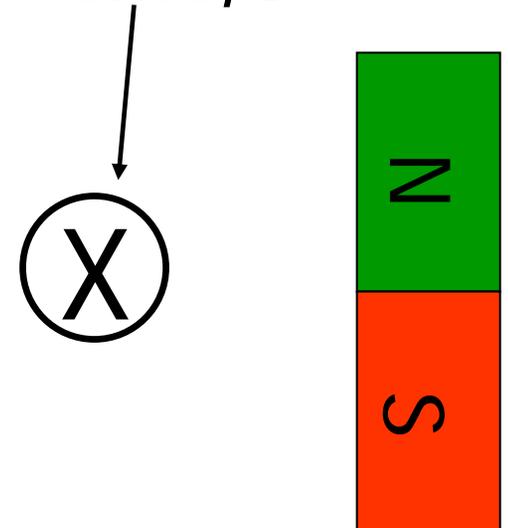
- Magnets align themselves with Magnetic Field
 - like Electric Dipoles in Electric Field
- What is the **Source of the Magnetic Field?**

Current and Magnet

Wire, $I = 0$



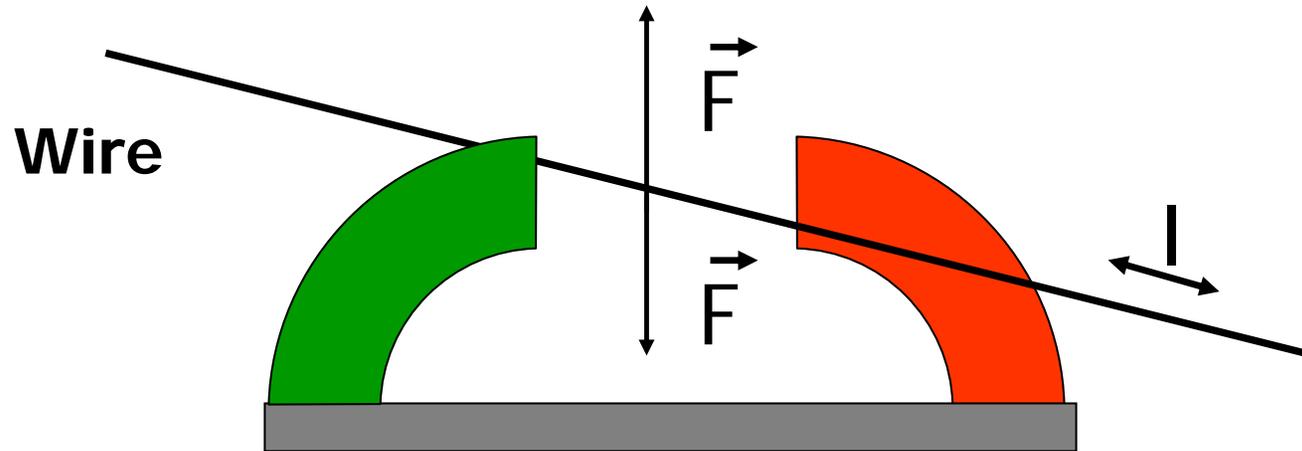
Wire, $I > 0$



Source of the Magnetic Field

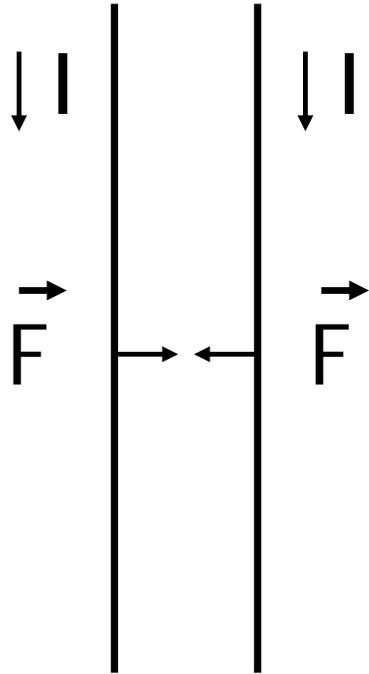
- No effect due to Static Charges
- But: An Electric Current affects Magnet
- Does Magnet affect Current?

Magnet and Current

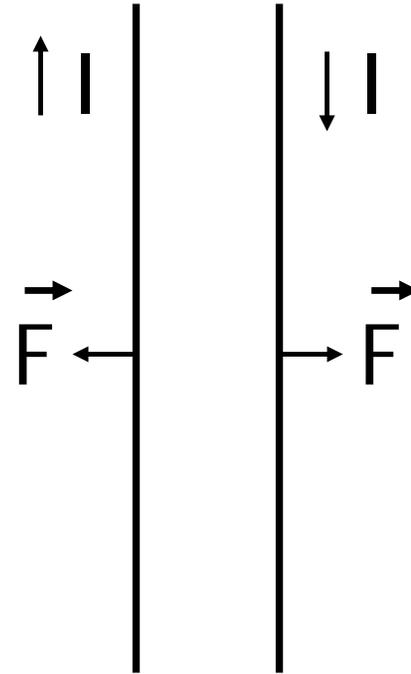


- Force on wire if $I \neq 0$
- Direction of Force depends on Sign of I
- Force perpendicular to I

Current and Current



Attraction

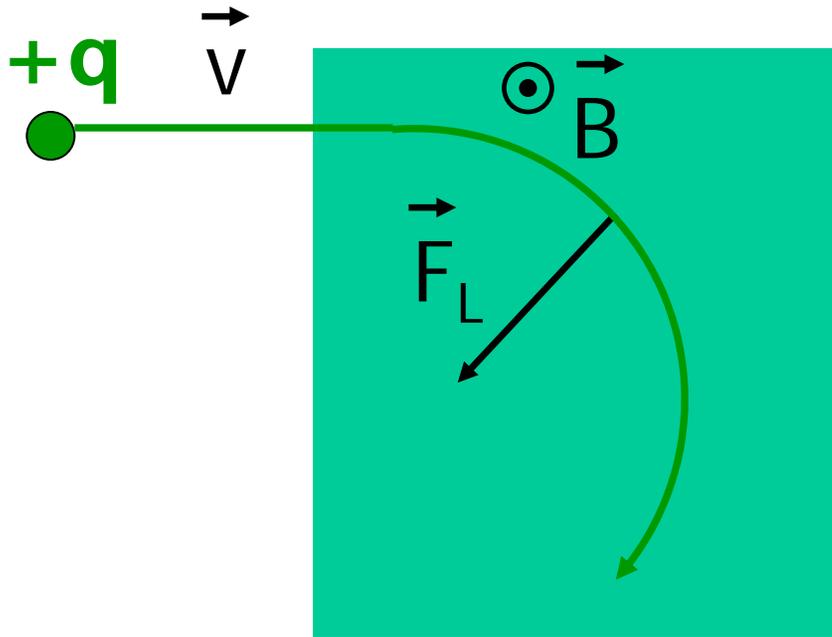


Repulsion

Summary

- Observed Force between
 - two Magnets
 - Magnet and Iron
 - Magnet and wire carrying current
 - Wire carrying current and Magnet
 - Two wires carrying currents
- Currents (moving charges) can be subject to and source of Magnetic Force

Free Charges and Magnetic Field



$$[B] = \text{N}/(\text{A m}) = \text{T (Tesla)}$$

$$\vec{F}_L = q (\vec{E} + \vec{v} \times \vec{B})$$

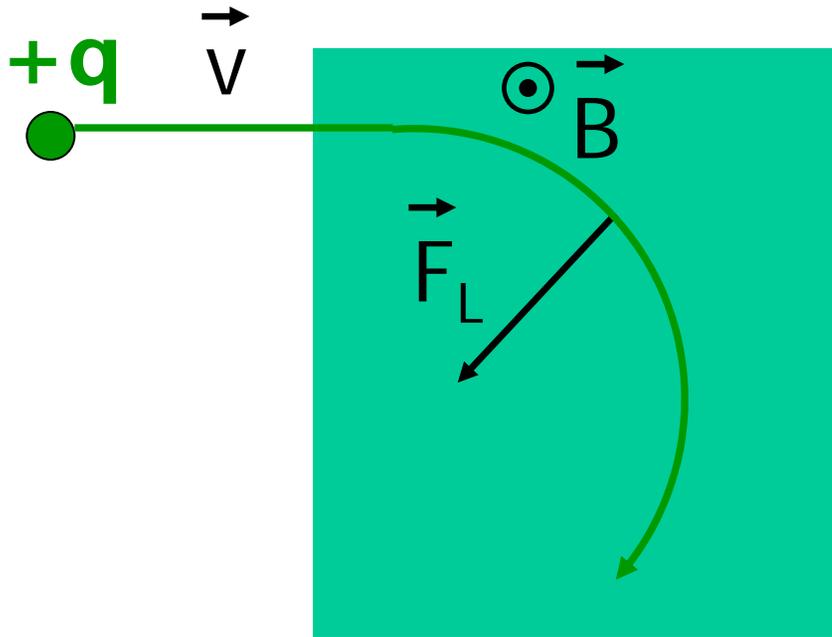
Lorentz Force

$$F_{\text{acc}} = m v^2/R = F_L$$

$$\rightarrow R = m v/(q B)$$

Cyclotron Radius

Magnetic Field and Work



$$\vec{F}_L = q \vec{v} \times \vec{B} \quad (\text{for } E = 0)$$